

Three address code for one dimensional array

If the width of each array element (or size of the element for example integer has a size of 2 bytes) is w , then the i th element of A has a address or a location \equiv base address + $i * w$

where base address is a constant term & $i * w$ is a variable term.

So, Three address code for $a[i]$ is

$$\textcircled{1} \quad t_1 = a[\text{constant}]$$

$$\textcircled{2} \quad t_2 = i * w$$

$$\textcircled{3} \quad t_3 = t_1[t_2]$$

For example convert the statement $x = a[i] + b[j]$ is

$$t_1 = a[\text{constant}]$$

$$t_2 = i * w$$

$$t_3 = t_1[t_2]$$

$$t_4 = b[\text{constant}]$$

$$t_5 = j * w$$

$$t_6 = t_4[t_5]$$

$$t_7 = t_3 + t_6$$

$$x = t_7$$

Three address code for two dimensional array

address of $a[i, j]$ in row major representation
of $a[i, j] = \text{base address} + ((i - \text{low}_1) \times n_2 + (j - \text{low}_2)) \times W$

Where $a[i, j]$ means address of i th element in the j th row.

low_1 & low_2 are two lower bound on value i and j

n_2 is a number of value that j can take or number of element in the array $a[i, j]$ i.e.

$$n_2 = \text{high}_2 - \text{low}_2 + 1$$

$$\text{or } n_2 = u_2 - l_2 + 1$$

u_2 is upper bound &

l_2 is lower bound

now,

address of $a[i, j]$ can be written as

$$= \text{base address} + (i \times n_2 - \text{low}_1 n_2 + j - \text{low}_2) W$$

$$= \text{base address} + i \times n_2 \times W - \text{low}_1 n_2 W + j \times W - \text{low}_2 W$$

$$= \underbrace{\text{base address} - ((\text{low}_1 \times n_2) + \text{low}_2) \times W}_{\text{constant term}}$$

$$+ \underbrace{((i \times n_2) + j) \times W}_{\text{variable term}}$$

So three address code of $a[i, j]$ can be computed as

$$t_1 = i * n_2$$

$$t_2 = t_1 + j$$

$$t_3 = t_2 * |n|$$

$$t_4 = a[\text{constant}]$$

$$t_5 = t_4 [t_3]$$

For example consider the following code of segment

$$P = 0$$

$$i = 1, j = 1$$

do

$$P = P + a[i, j]$$

$$i = i + 1$$

$$j = j + 1$$

while ($i \leq 10$)

① $P = 0$

② $i = 1$

③ $j = 1$

④ $t_1 = i * n_2$

⑤ $t_2 = t_1 + j$

⑥ $t_3 = t_2 * |n|$

⑦ $t_4 = a[\text{constant}]$

⑧ $t_5 = t_4 [t_3]$

⑨ $t_6 = P + t_5$

⑩ $P = t_6$

⑪ $t_7 = i + 1$

⑫ $i = t_7$

⑬ $t_8 = j + 1$

⑭ $j = t_8$

⑮ if ($i \leq 10$) go to 4